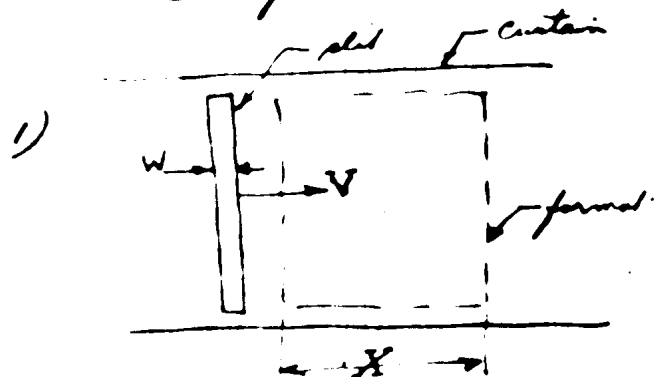


Dear Al -

The geometrical proof of the focal (rotary) shutter is outlined below. As I explained by phone the typical linear slit type curtain is similar (if not identical) to the rotary slit except for the fact that the slit is moving along an arc rather than straight line.

Compare:

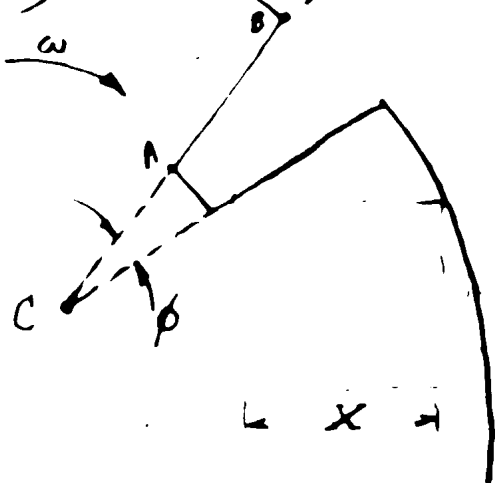


Linear Slit Arrangement

The velocity ( $V$ ) of curtain (inches/seconds) and slit width ( $w$ ) in inches determine effective exposure. Slits parallel edges - exposure will be uniform because velocity is the same for all parts of the length of slit. If  $w$  is increased to  $X$  (frame size) the exposure is still uniform but exposure time is changed.

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2) The taper slit now:



$X$  is the focal,  $C$  the center of rotation of the rotary shutter (angle  $\phi$  is adjustable). Point A and B describe the radius for the inner & outer frame edges respectively. Assume radius  $CA$  equal to one-half

velocity of the blades assembly moves about point C. Effectively the line  $\overline{CAB}$  moves circularly with one end fixed at C - OK! Further A and B move at different speeds past the format because they are at different distances from C. Now if B is twice as far from C as is A then B is moving twice as fast as A. This is perfectly compensated for by the fact that angle  $\phi$  (shutter opening) is tapered in the proper direction

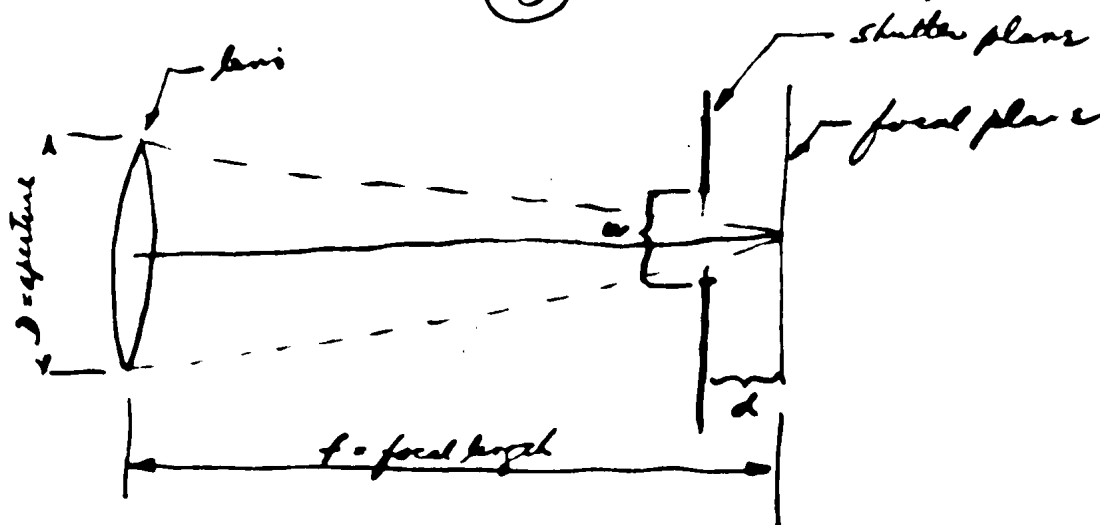
Because B is going faster than A, the slit is wider at B than at A by exactly 2 to 1 which compensates exactly for their different radial velocity.

Note: if the slit  $\phi$  was parallel edged, the negating would result. Wedge shaped however is fully compensating.

Exposure with rotary taper opening is uniform.

### Efficiency:

This is a horse of a different color and has no relationship to above. In our system the efficiency varies because of the wide variety of apertures and focal lengths. However the following will be of interest for proof.



Efficiency is calculated by the following relationships  
 as shown above:

$$E = \frac{W \times f}{W \times f + d \times D}$$

In our camera  $d$  is approx  $\frac{3}{8}$  (0.187") Let take the  
 short lens first. The 1" is F/2.3 and has a lens diameter  
 of approx 0.580". The shutter width is adjustable and  
 efficiency will vary accordingly but for our purpose let  
 pick the tough end and assume  $\frac{1}{4}$ " width OK?  
 now —

$$E_{(one\ inch)} = \frac{0.25 \times 1}{(0.25 \times 1) + (0.187 \times 0.580)} = 72\% \text{ approx.}$$

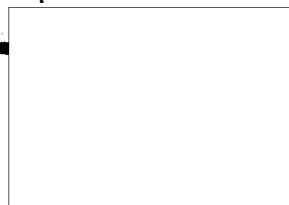
Note our average opening will be about twice this  
 opening which means at round the efficiency will  
 average about 85% for our 1" lens. This is not  
 bad at all.

(4)

Now the largest one — 24" as  $F/5.6$  is about  
4.5 inch lens diameter — So —

$$E_{(24 \text{ inch})} = \frac{0.25 \times 24}{(0.25 \times 24) + (.187 \times 4.5)} = 89\% \text{ approx}$$

This to (4" wide slit) is smaller than average — so  
I'd guess now that the overall average efficiency  
of the system will be about 85-90%. The  
average photo gear varies from 40 to 80%  
generally and will be right up there.



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